### Transverse $\Lambda$ polarization at high energy colliders

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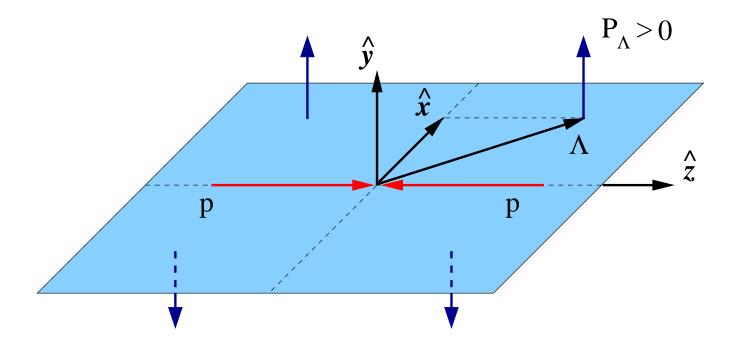
#### Outline

- Brief review of transverse  $\Lambda$  polarization in  $p+p \to \Lambda + X$ : data & features
- Theoretical considerations: models and pQCD expectations
- ullet Possible underlying mechanism in the intermediate to high  $p_T$  region: transverse momentum and spin dependence in the fragmentation process
- Analysis of  $p+p(Be) \to \Lambda^{\uparrow}(\bar{\Lambda}^{\uparrow}) + X$  data and application to:
  - semi-inclusive DIS:  $\ell + p \rightarrow \ell' + \Lambda^{\uparrow} + X$
  - $p+p o \Lambda^\uparrow + \mathsf{jet} + X$  at midrapidity
  - $p + Pb \rightarrow \Lambda^{\uparrow} + X$  in the forward region to probe saturation physics

# Transverse $\Lambda$ polarization in unpolarized scattering

Large asymmetries have been observed in  $p+p \to \Lambda^\uparrow + X$ 

G. Bunce et al., PRL 36 (1976) 1113

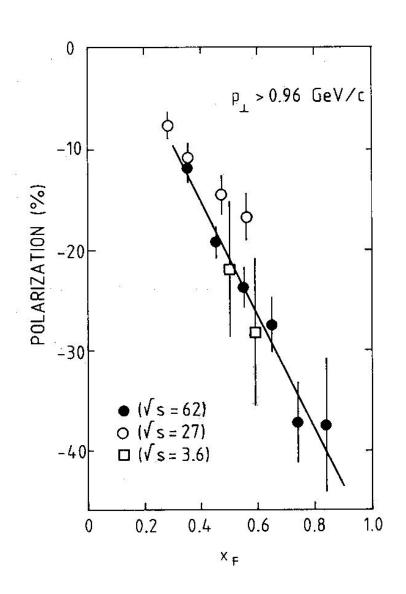


Blue arrows indicate the direction of positive transverse (w.r.t. production plane) polarization  $P_{\Lambda}$ , in the four quadrants

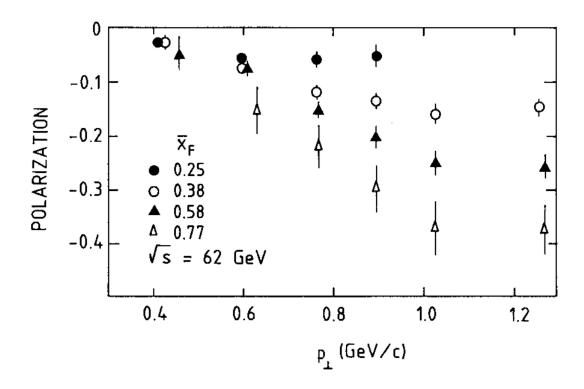
For symmetry reasons  $P_{\Lambda} = 0$  at midrapidity

# Data & Features

# Generic p p data - $x_F$ and $p_T$ dependence

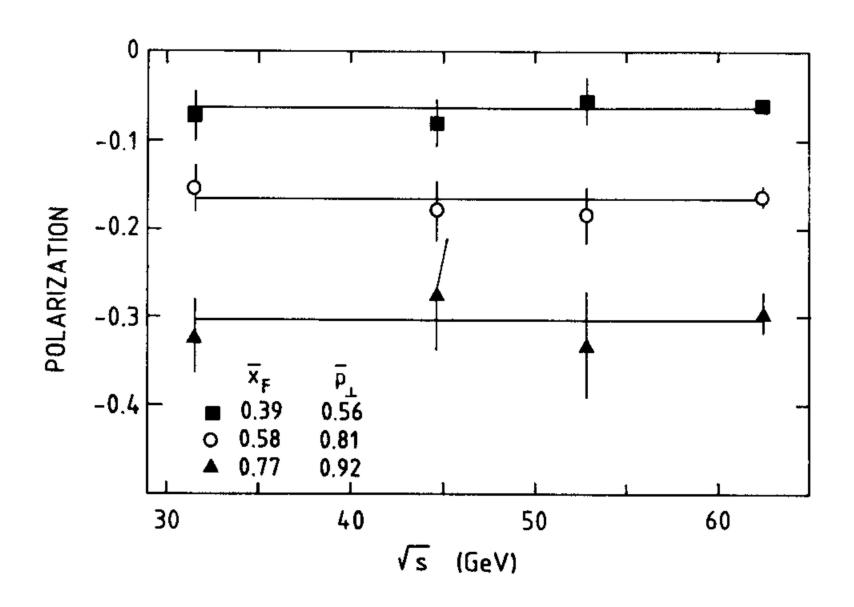


 $P_{\Lambda}$  turns out to be negative



For  $p_T$  above 1  ${\rm GeV}/c~P_{\Lambda}$  becomes flat

# Generic p p data - $\sqrt{s}$ dependence



# Transverse $\Lambda$ polarization in unpolarized scattering

#### Features of the asymmetry:

- $P_{\Lambda} < 0$
- $\bullet$  Magnitude grows with  $x_F=2p_L/\sqrt{s}$  and  $p_T~(\lesssim 1\,{\rm GeV}/c)$
- For  $p_T \gtrsim 1 \, {\rm GeV}/c$  it becomes flat (measured up to  $4 \, {\rm GeV/c}$ )
- ullet For very large  $p_T$  it should fall off, but is not seen
- To a large extent  $\sqrt{s}$  independent

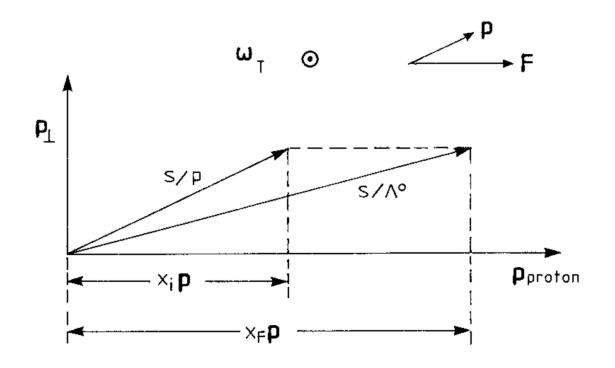
Comprehensive review of data by A.D. Panagiotou (Int.J.Mod.Phys.A 5 (1990) 1197)

# **Theory**

#### Theoretical considerations

Perturbative QCD conserves helicity, which leads to  $P_{\Lambda}\sim \alpha_s m_q/\sqrt{\hat{s}}$  (= small) Kane, Pumplin & Repko, PRL 41 (1978) 1689

Many QCD-inspired models have been proposed, mostly based on recombination of a ud diquark from the proton and an s quark from the sea Spin-orbit coupling creates the polarization



The DeGrand-Miettinen model PRD 23 (1981) 1227 & 24 (1981) 2419

#### Theoretical considerations

A comprehensive review of models by J. Felix (Mod.Phys.Lett.A 14 (1999) 827-842) "In general, all models fail in fitting well the available experimental data on  $\Lambda$  polarization"

Most models give qualitative descriptions of the data for  $p_T \lesssim 1-2\,\mathrm{GeV}/c$ 

However, for larger  $p_T$ , the recombination picture should become less adequate

Some models do yield  $p_T$  independence for larger  $p_T$ , but magnitude not calculable E.g. Troshin & Tyurin, hep-ph/0501004

Predictability is often restricted to consistency of signs of  $\Lambda$  polarization from different beams  $(\pi^{\pm}, K^{\pm}, \bar{p})$  and for different hyperons, using SU(3)

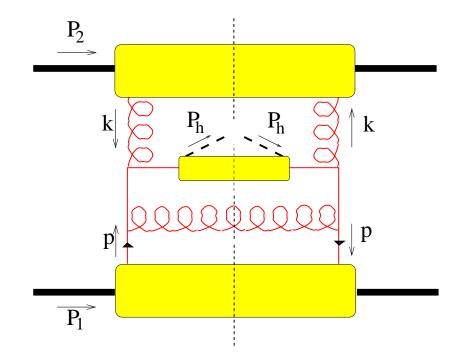
How to explain that the large asymmetry persists at least to  $p_T \approx 4 \text{ GeV}/c$ ?

For large  $p_T$  perturbative QCD and collinear factorization should apply

#### **Collinear factorization**

Consider for example the  $qg \rightarrow qg$  subprocess

$$\sigma \sim q(x_1) \otimes g(x_2) \otimes \hat{\sigma}_{qg 
ightarrow qg} \otimes D_{\Lambda/q}(z)$$
  $q(x_1) = ext{quark density}$   $g(x_2) = ext{gluon density}$   $D_{\Lambda/q}(z) = \Lambda ext{ fragmentation function}$   $P_{\Lambda} \sim q(x_1) \otimes g(x_2) \otimes \hat{\sigma}_{qg 
ightarrow qg} \otimes ?$ 

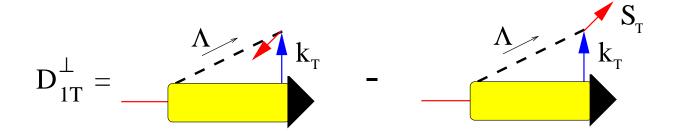


No leading twist collinear fragmentation function exists for  $q \to \Lambda^{\uparrow} X$  (due to symmetry reasons)

Would be necessarily higher twist, which leads to a fall-off as  $1/p_T$ 

#### **Noncollinear factorization**

Dropping the requirement of collinear factorization, does allow for a solution



Mulders & Tangerman, NPB 461 (1996) 197

- ullet Transverse momentum dependent:  $D_{1T}^{\perp}(z,oldsymbol{k}_T)$
- ullet A nonperturbative  ${m k}_T imes {m S}_T$  dependence in the fragmentation process
- Allowed by the symmetries (parity and time reversal)

 $\Lambda$  polarization arises in the fragmentation of an *unpolarized* quark Hence, the suggested name "polarizing fragmentation function"

# Extraction of $D_{1T}^{\perp}$

# Extraction of $D_{1T}^{\perp}$

Fit of  $D_{1T}^{\perp}$  from available  $p\,p(Be)\to \Lambda^{\uparrow}(\bar{\Lambda}^{\uparrow})\,X$  data M. Anselmino, D.B., U. D'Alesio, F. Murgia, PRD 63 (2001) 054029

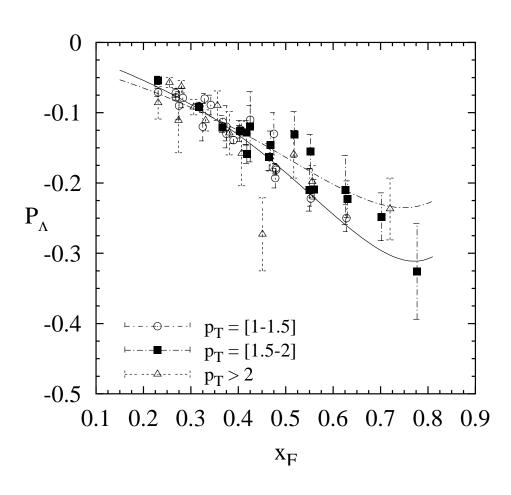
#### **Assumptions**:

- ullet  $\Lambda$  polarization is generated in the fragmentation process
- Neglect  $k_T$  effects in the unpolarized initial nucleons
- Consider effective  $\Lambda$  FF's, including secondary  $\Lambda$ 's  $(\Sigma \to \Lambda \gamma, \text{ etc})$
- Polarizing FFs are strongly peaked around an average  $k_{\perp}(z)$
- z dependence parameterized as  $Nz^a(1-z)^bD_1(z)$
- Consider only leading or valence quarks in the polarized fragmentation process
- Chiral-odd contributions are neglected
   Kanazawa & Koike, PRD 64, 034019 (2001) & hep-ph/0012005
   Zhou, Yuan, Liang, PRD 78 (2008) 114008

#### **Furthermore**:

- Impose appropriate positivity bounds
- Select data with  $p_T > 1 \text{ GeV}/c$  to exclude the soft regime

# $P_{\Lambda}$ : $x_F$ dependence



#### $P_{\Lambda}$ in p--Be reactions

Data are taken at  $\sqrt{s} \simeq 28$  GeV and 40 GeV:

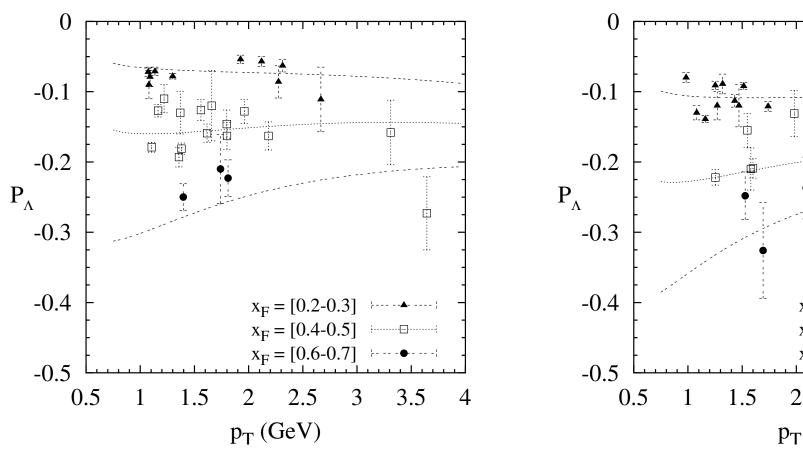
K. Heller et al., PRL 51 (1983) 2025

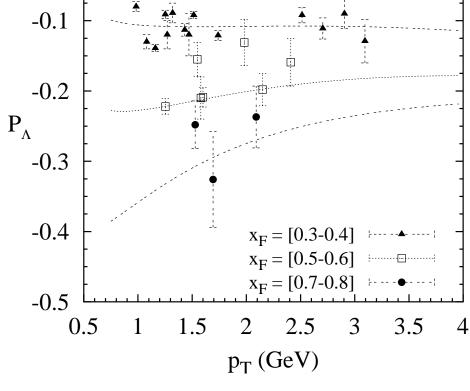
B. Lundberg et al., PRD 40 (1989) 3557

E.J. Ramberg et al., PLB 338 (1994) 403

The fitted curves are at  $\sqrt{s}=26$  GeV and at  $p_T=1.5~{\rm GeV}/c$  (solid) and  $p_T=3~{\rm GeV}/c$  (dot-dashed)

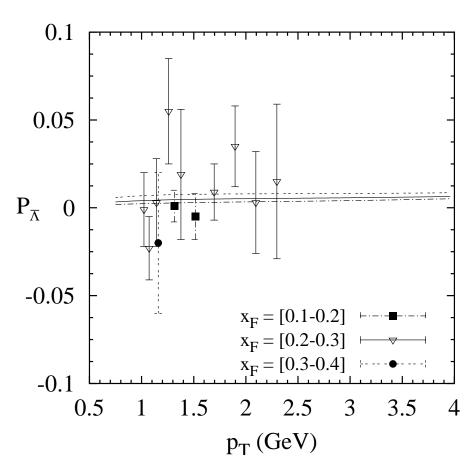
# $P_{\Lambda}$ : $p_T$ dependence





The fitted curves are at  $\sqrt{s}=26$  GeV and at the mean  $x_F$  of a bin

# $P_{\bar{\Lambda}}$ : $p_T$ dependence



 $P_{\bar{\Lambda}}$  in  $p ext{-}Be$  reactions

Data are taken at  $\sqrt{s} \simeq 28$  GeV:

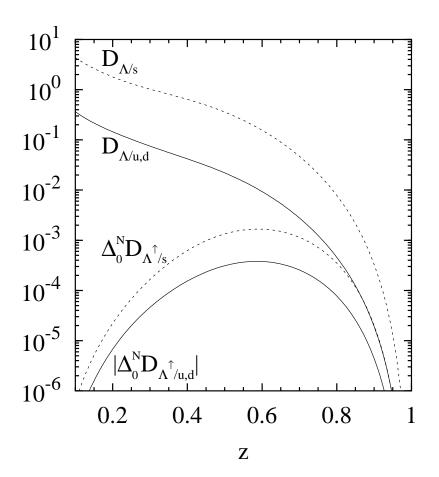
K. Heller et al., PRL 41 (1978) 607

E.J. Ramberg et al., PLB 338 (1994) 403

The fitted curves are at  $\sqrt{s}=26$  GeV and at the mean  $x_F$  of a bin

 $P_{\bar{\Lambda}} pprox 0$  is the result of cancellations

### z dependence



 $D_{\Lambda/q}$  = unpolarized fragmentation function

$$\Delta_0^N D_{\Lambda^{\uparrow}/q} \sim \langle k_{\perp} \rangle \ D_{1T}^{\perp}(z, \langle k_{\perp} \rangle) \quad [\# \text{ densities}]$$

 $D_{1T}^{\perp}$  has opposite signs for u,d versus s quarks; the latter is larger

This is the origin of the cancellations in  $P_{\bar{\Lambda}}$ 

Note: ratios  $\Delta_0^N D_{\Lambda^{\uparrow}/q}/D_{\Lambda/q}$  only sizeable for  $z \gtrsim 0.5$ 

#### Theoretical issues

 $D_{1T}^{\perp}$  is thought to be universal, despite its potential color flow dependence

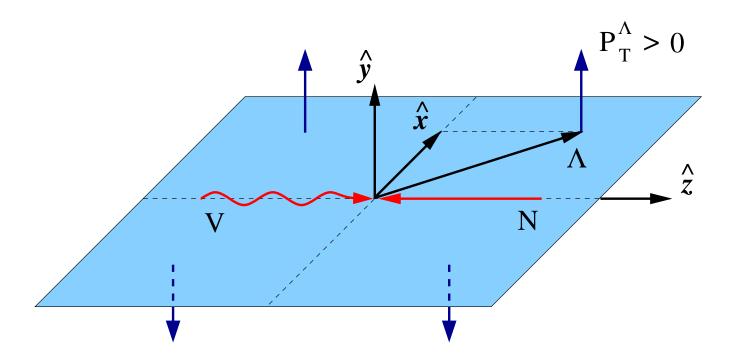
Metz, PLB 549 (2002) 139; Gamberg, Mukherjee, Mulders, PRD 77 (2008) 114026 Meissner, Metz, 0812.3783/hep-ph; Yuan, Zhou, 0903.4680/hep-ph

Extraction done under the restriction of  $p_T>1~{\rm GeV}/c$  to exclude the soft regime Whether this is sufficient to ensure the validity of the description is a matter of concern Nevertheless, reasonable functions are obtained

Note that same issue arises for single spin asymmetries  $A_N$  Asymmetries at  $\sqrt{s}=20$  GeV and  $\sqrt{s}=200$  GeV are similar At  $\sqrt{s}=200$  GeV the cross section is well-described by NLO pQCD

# **Semi-Inclusive DIS**

# **SIDIS:** $\ell p \to \ell' \Lambda^{\uparrow} X$



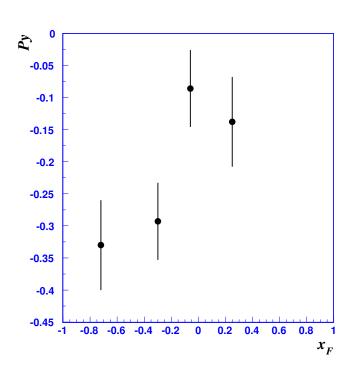
In order to have a factorized description of the cross section,  $Q^2$  must be large One can then only address the current fragmentation region  $x_F > 0$ 

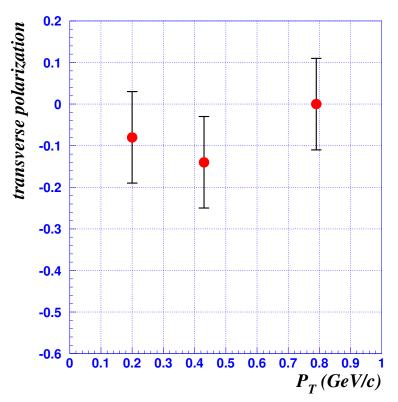
Since in SIDIS only  $Q^2$  is required to be large,  $p_T^2$  can be small Model for the polarizing FFs needs more details on  $k_\perp$  dependence than in  $p\,p$  case

#### **SIDIS** data

No neutral current SIDIS data avialable yet, except for  $e\,p\to \Lambda^\uparrow X$  (quasi-real  $Q^2\simeq 0$ ) Airapetian et~al., HERMES Collab., PRD76 (2007) 092008 Ferrero, for COMPASS Collab, SPIN2006 proceedings, p. 436

There is charged current SIDIS data by NOMAD on  $\nu_{\mu} p \to \mu \Lambda^{\uparrow} X$ Astier et~al., NOMAD Collab., NPB 588 (2000) 3





Right plot:  $\langle x_F \rangle = 0.21$ 

# $\Lambda$ polarization in SIDIS

For current fragmentation ( $x_F > 0$ ) transverse polarization:  $P_y = -0.10 \pm 0.06$ Astier et al., NOMAD Collab., NPB 588 (2000) 3

No significant transverse polarization has been found for the  $\bar{\Lambda}$  sample Astier et~al., NOMAD Collab., NPB 605 (2001) 3

In charged current exchange processes chiral-odd functions do not contribute So could be used as a way to check their importance

NC and CC SIDIS studied using the fitted functions  $D_{1T}^{\perp}$  Anselmino, D.B., D'Alesio & Murgia, hep-ph/0109186v1

Also studied using various model scenarios for  $D_{1T}^{\perp}$  Anselmino, D.B., D'Alesio & Murgia, PRD 65 (2002) 114014

# $\Lambda$ polarization in SIDIS from $D_{1T}^{\perp}$

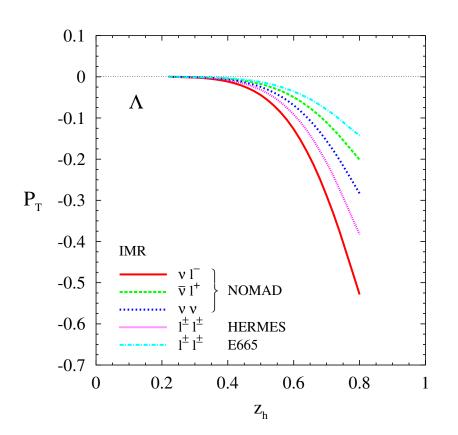
Following results for transverse  $\Lambda$  polarization in SIDIS used:

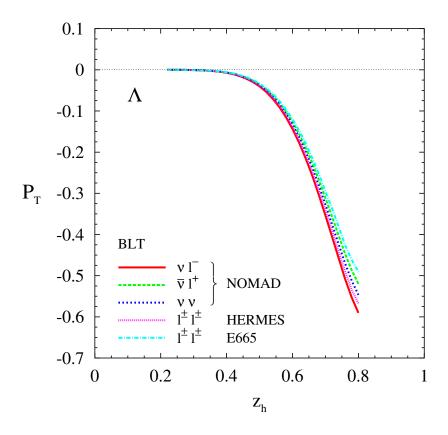
- ullet Unpolarized  $\Lambda$  fragmentation functions:
  - 1) Indumathi et al. [IMR] (PRD 58 (1998) 094014)
  - 2) Boros et al. [BLT] (PRD 61 (2000) 014007) SU(3) symmetric
  - De Florian et~al.~ [DSV] (PRD 57 (1998) 5811) yields similar results as BLT if  $P_T^{\Lambda+\bar{\Lambda}}\simeq P_T^{\Lambda}$
- Fitted polarizing FFs modified to have Gaussian transverse momentum dependence

Results will be shown for typical HERMES, NOMAD and E665 kinematics

 $Q^2$  is fixed to be 2 GeV<sup>2</sup> (approximately corresponding to the average  $p_T^2$  in  $p\,p o \Lambda\,X)$ 

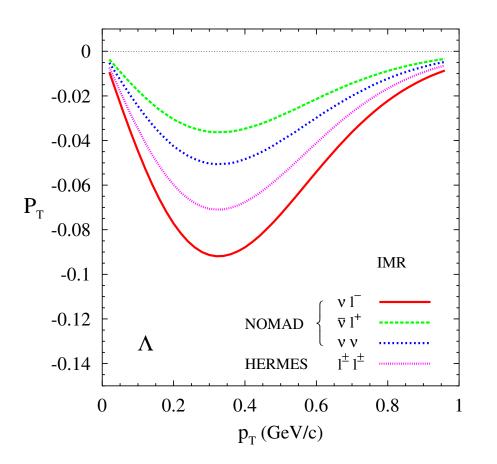
## $P_T$ : $z_h$ dependence; averaged over $p_T$

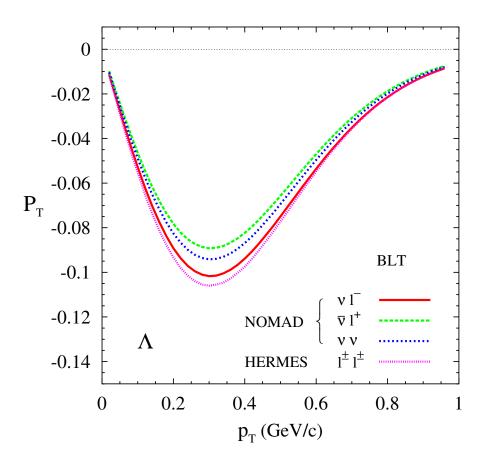




- Asymmetry negligible below  $z_h < 0.4$
- In SU(3) symmetric case the strange quark contribution is always suppressed, leading to similar asymmetries
- E665 smaller than HERMES because of smaller  $\langle x \rangle$  (s quark contribution enhanced, leading to larger cancellations)

### $P_T$ : $p_T$ dependence; averaged over $z_h$

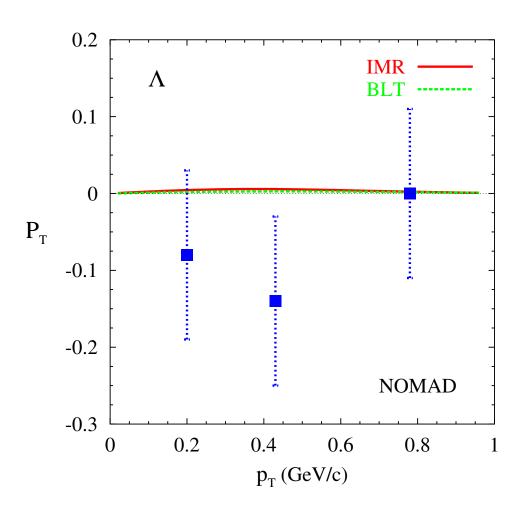




- Averaged over  $0.4 < z_h < 0.8$
- Shape determined by the Gaussian model
- ullet Including smaller  $z_h$  data leads to smaller asymmetries, due to the rising cross sections

# Comparison to NOMAD data

These SIDIS results appear to have an opposite sign compared to NOMAD data However, choosing the appropriate kinematics yields:

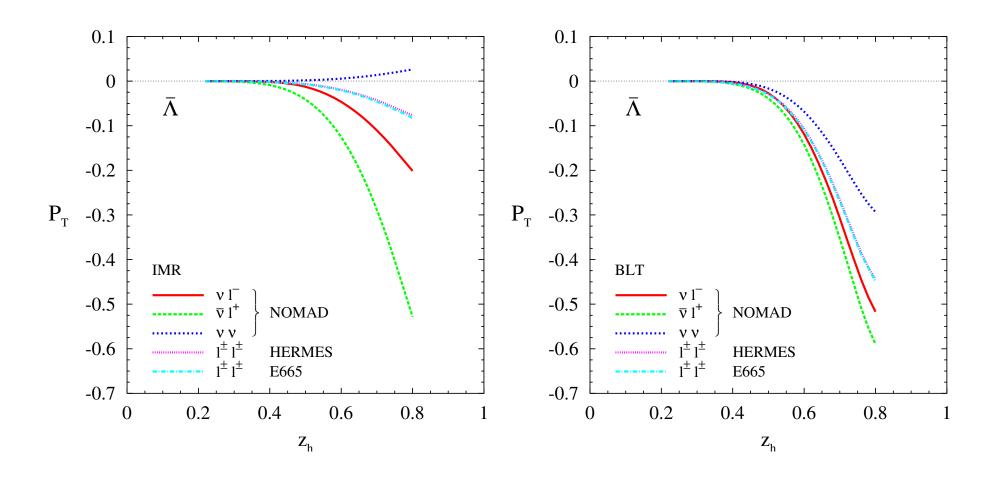


Data and curves are for:

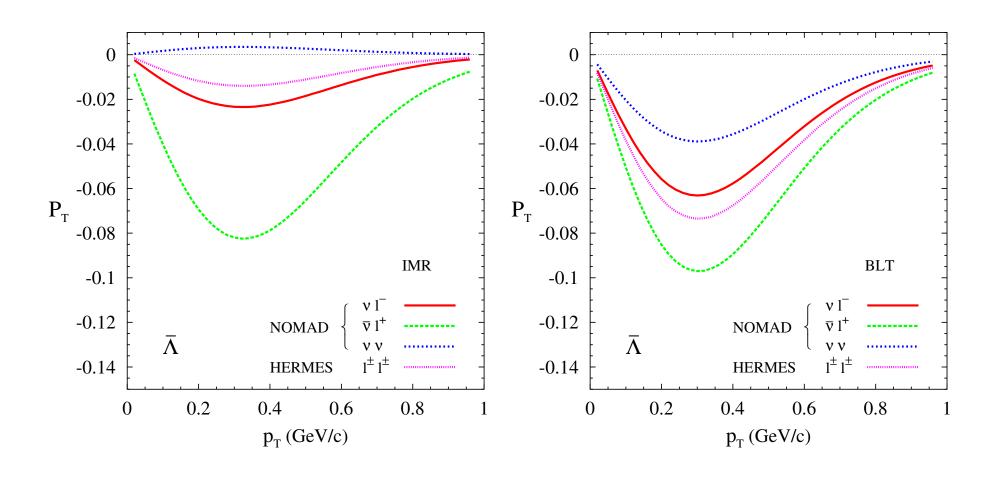
$$\langle z_h \rangle = 0.34$$

$$\langle x_F \rangle = 0.21$$

# $\bar{\Lambda}$ polarization in SIDIS



# $\bar{\Lambda}$ polarization in SIDIS



# Jet- $\Lambda$ production

## High energy collider data

Validity of factorized description depends on proper cross section description. This requires data at higher energies and higher  $p_T$ 

Why no data from high energy hadron colliders, such as RHIC or Tevatron?

Problem: capabilities to measure  $\Lambda$  polarization via  $\Lambda \to p \pi^-$  are usually restricted to the midrapidity region, where the degree of transverse polarization is very small

$$P_{\Lambda} = 0$$
 at  $\eta = 0$  in  $p p$  collisions in cms

If the origin of the transverse  $\Lambda$  polarization is indeed due to polarizing fragmentation, then another asymmetry could be observed that does not need to vanish at  $\eta=0$ 

D.B., Bomhof, Hwang, Mulders, PLB 659 (2008) 127

This is an asymmetry in the process  $p\,p o \left(\Lambda^{\uparrow} \mathsf{jet}\right)\,\mathsf{jet}\,X$ 

## **Jet-** $\Lambda$ **production**

Consider two jets, with momenta  $K_j$  and  $K_{j'}$ , such that  $K_j \cdot K_{j'} = \mathcal{O}(\hat{s})$ 

The  $\Lambda$  is part of one of the two jets, and has momentum  $K_{\Lambda}$  and polarization  $S_{\Lambda}$ . An asymmetry can arise that is proportional to:

$$\epsilon_{\mu\nu\alpha\beta}K^{\mu}_{j}K^{\nu}_{j'}K^{\alpha}_{\Lambda}S^{\beta}_{\Lambda}$$

In principle, it is not power suppressed, nor needs to vanish at  $\eta=0$ 

In the center of mass frame of the two jets the asymmetry is of the form:

$$\mathsf{SSA} = \frac{d\sigma(+\boldsymbol{S}_{\Lambda}) - d\sigma(-\boldsymbol{S}_{\Lambda})}{d\sigma(+\boldsymbol{S}_{\Lambda}) + d\sigma(-\boldsymbol{S}_{\Lambda})} = \frac{\hat{\boldsymbol{K}}_{j} \cdot (\boldsymbol{K}_{\Lambda} \times \boldsymbol{S}_{\Lambda})}{z \, M_{\Lambda}} \frac{d\sigma_{T}}{d\sigma_{U}}$$

 $d\sigma_T/d\sigma_U$  depends on  $D_{1T}^\perp$ 

# Jet- $\Lambda$ production at the LHC

At LHC this process  $p\,p \to \left(\Lambda^\uparrow \text{jet}\right)$  jet X can be studied (at RHIC too of course) For instance, ALICE can measure  $\Lambda$ 's over a wide  $p_T$  range, in a typical yearly run at least up to 16 GeV/c

Rapidity coverage of ALICE:  $-0.9 \le \eta \le +0.9$ 

If jet rapidities are in this kinematic region, the cross section is dominated by gluon-gluon  $(gg \rightarrow gg)$  scattering, if gluons fragmenting into  $\Lambda$ 's are as important as quarks

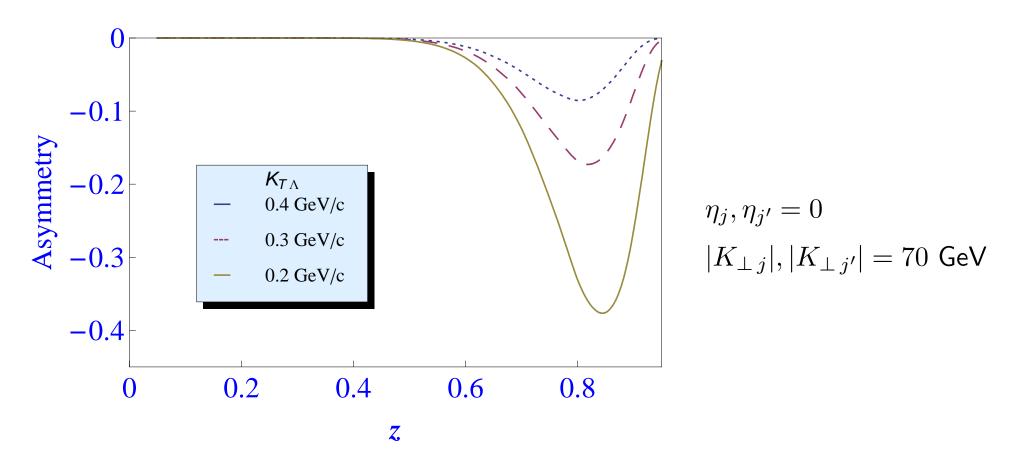
This leads to

$$\frac{d\sigma_T}{d\sigma_U} \approx \frac{D_{1T}^{\perp g}(z, K_{\Lambda T}^2)}{D_1^g(z, K_{\Lambda T}^2)}$$

No model or fit for  $D_{1T}^{\perp g}$  is available yet, so no predictions can be made in this case

# Jet- $\Lambda$ production at the LHC

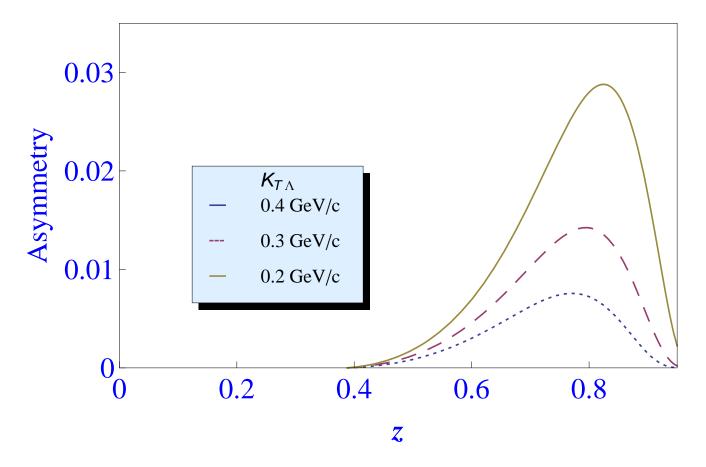
If it happens that  $D_{1T}^{g\,\perp}\ll D_{1T}^{q\,\perp}$ , then one can use the extracted  $D_{1T}^{\perp\,q}$  to get an estimate For DSV (PRD 57 (1998) 5811)  $D_1^g\ll D_1^q$  at larger z



The asymmetry exceeds -1 for smaller  $K_{T\Lambda}$  at large z, hence is overestimated

# Jet- $\Lambda$ production at the LHC

For Indumathi et al. [IMR] (PRD 58 (1998) 094014) one finds a very different result



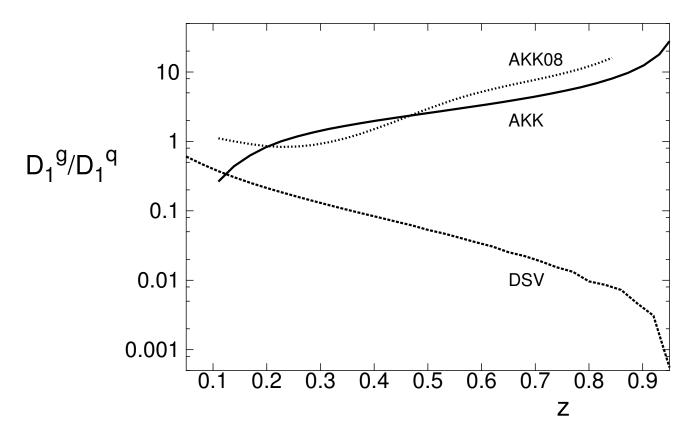
Asymmetry is very sensitive to the cancellation between u,d and s contributions

## Role of $g \to \Lambda X$

#### Problems:

- fit of  $D_{1T}^{\perp}$  to  $p\,p \to \Lambda^{\uparrow}\,X$  data not sensitive to  $g \to \Lambda\,X$
- fits of  $D_1$  to only  $e^+e^- \to \Lambda X$  data also not sensitive to  $g \to \Lambda X$

AKK (Albino, Kniehl, Kramer, NPB 734 (2006) 50); AKK08 (NPB 803 (2008) 42)

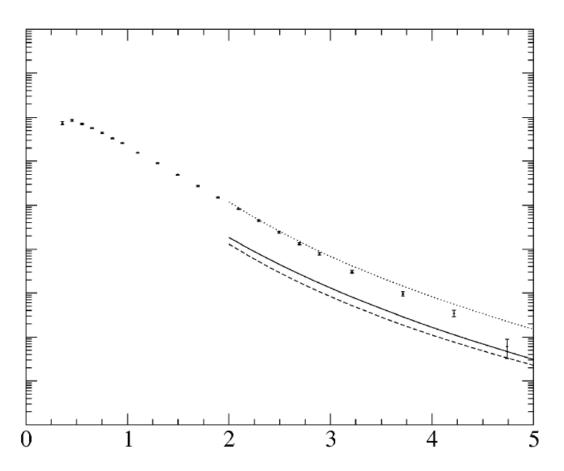


$$Q = 10 \text{ GeV}$$
$$q = u + \bar{u}$$

## $\Lambda$ fragmentation function problem

AKK's 2008 update (NPB 803 (2008) 42) does not help

$$pp \rightarrow \Lambda/\overline{\Lambda} + X (-0.5 < y < 0.5), \sqrt{s} = 200 \text{ GeV}$$



 $p_T$  distribution

solid: AKK08

dotted: AKK

dashed: DSV

data: STAR

"a possible inconsistency between the pp and  $e^+e^-$  reaction data for  $\Lambda/\overline{\Lambda}$  production"

## Conclusions on Jet- $\Lambda$ production

Asymmetry in  $p p \to (\Lambda^{\uparrow} \text{jet})$  jet X at midrapidity is very sensitive to  $g \to \Lambda X$  aspects

Previous  $D_{1T}^{\perp q}$  extractions of very limited use in predicting the asymmetry

Problem of unpolarized  $\Lambda$  fragmentation functions is serious

Cross section of  $p\,p \to \Lambda\,X$  not well-described even at  $\sqrt{s}=200$  GeV

# Forward $p\,A \to \Lambda^\uparrow X$

### Forward rapidity data

 $\Lambda$  polarization is especially interesting in pA reactions at very high  $\sqrt{s}$ , large A and  $\eta$  In this kinematic regime of small x, saturation of the gluon density is expected

Would offer a direct probe of gluon saturation in both  $p\,p$  and  $p\,Pb$  collisions at LHC

The saturation scale  $Q_s$  and even its evolution with x could be probed in this way D.B. & Dumitru, PLB 556 (2003) 33; D.B., Utermann, Wessels, PLB 671 (2009) 91

## Forward rapidity data

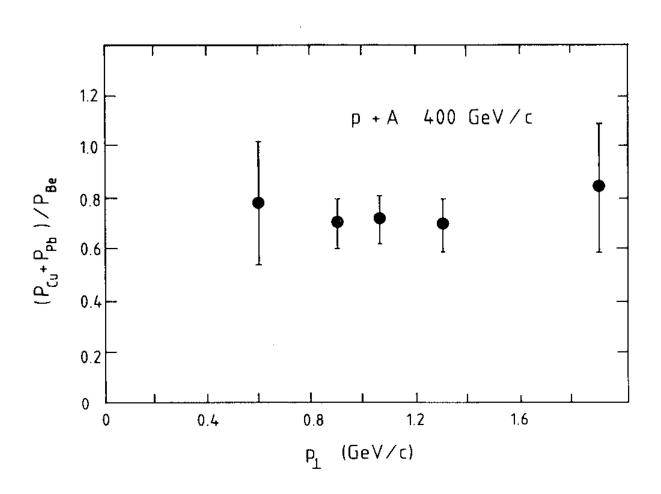
None of the existing data is in the saturation regime

In the forward direction often protons cannot be identified, which hampers the measurement of  $\boldsymbol{\Lambda}$  polarization

Forward  $\Lambda$ 's (y=2.75) in  $d\,Au$  collisions have been identified via event topology Abelev  $et\,al.$ , STAR Collaboration, PRC 76 (2007) 064904

Suggestion: use neutral decays  $\Lambda \to n \pi^0$  to measure  $\Lambda$  polarization at forward rapidities

#### Heavy versus light nuclei in pA [L. Pondrom, Phys. Rept. 122 ('85) 57]



Slight decrease of slope of asymmetry with increasing A as function of  $p_T$  is likely due to production of  $\Lambda$ 's through secondary  $\pi^-N$  interactions in nuclear matter

## Hadron production in the saturation regime

The cross section of forward hadron production in the (near-)saturation regime:

pdf  $\otimes$  dipole cross section  $\otimes$  FF

Dumitru, Jalilian-Marian, PRL 89 (2002) 022301

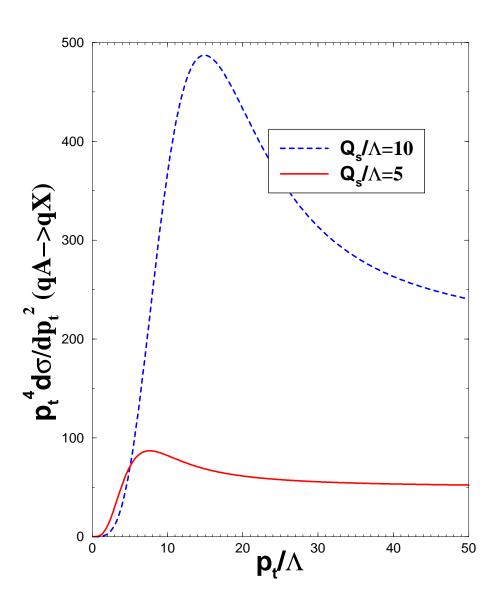
Since  $D_{1T}^{\perp}$  is  $k_T$ -odd, it essentially probes the derivative of the dipole cross section

At transverse momenta of  $\mathcal{O}(Q_s)$  the dipole cross section changes much

This leads to a  $Q_s$ -dependent peak in the  $\Lambda$  polarization

First demonstrated for the McLerran-Venugopalan model, which has constant  $Q_s$  McLerran, Venugopalan, PRD 49 (1994) 2233 & 3352

## Saturation effects in $p + A \rightarrow \Lambda + X$

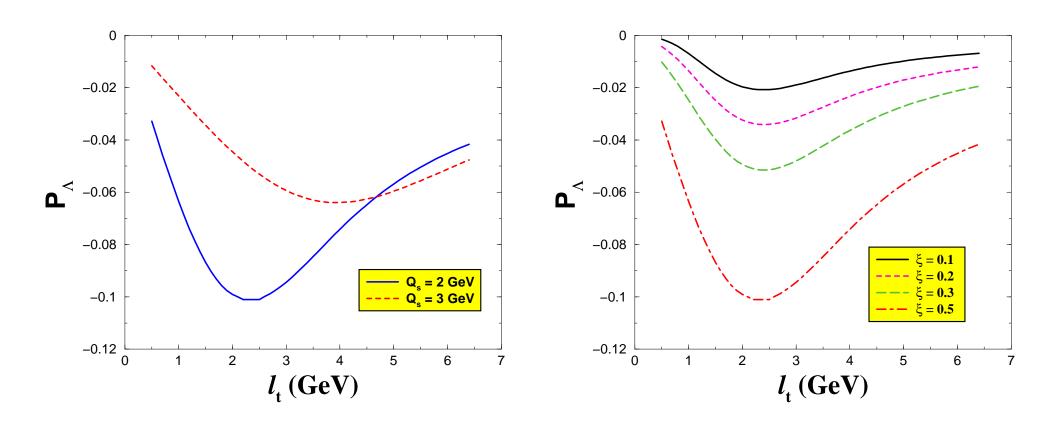


At high  $p_T$ , leading twist pQCD predicts:

$$rac{d\sigma(q\,A o q\,X)}{doldsymbol{p}_T^2}\simrac{1}{oldsymbol{p}_T^4}$$

For  $p_T \lesssim Q_s$  saturation effects modify the cross section

## $\Lambda$ polarization in $p+A\to \Lambda^\uparrow + X$



D.B. & Dumitru, PLB 556 (2003) 33

In the MV model, where  $Q_s$  is a constant, the peak is  $x_F(=\xi)$  independent

### Phenomenological models

The saturation scale actually changes with the small-x values probed:

$$Q_s^2(x) \propto \left(\frac{1}{x}\right)^{\lambda}$$

Models that incorporate this are for instance:

- GBW model, describes well small-x DIS data Golec-Biernat, Wüsthoff, PRD 59 (1999) 014017
- DHJ model, describes well forward  $dAu \to \pi X$  RHIC data Dumitru, Hayashigaki, Jalilian-Marian, NPA 765 (2006) 464
- GS model, describes well  $dAu \to \pi X$  and DIS small-x data D.B., Utermann, Wessels, PRD 77 (2008) 054014

## Dipole scattering amplitude

The dipole scattering amplitude of phenomenological models:

$$N(q_t, x) \equiv \int d^2 r_t \, e^{i\vec{q}_t \cdot \vec{r}_t} \exp \left[ -\frac{1}{4} \left( r_t^2 Q_s^2(x) \right)^{\gamma(q_t, x)} \right]$$

GBW model:  $\gamma_{GBW} = 1$ 

It leads to geometric scaling:  $N = N(q_T^2/Q_s^2(x))$ 

In DIS  $(q_t=Q)$  geometric scaling of the cross section was observed for x<0.01 Stasto, Golec-Biernat, Kwiecinski, PRL 86 (2001) 596

The saturation scale of the GBW model extracted from those DIS data:

$$Q_s(x) = 1 \,\text{GeV} \left(\frac{x_0}{x}\right)^{\lambda/2}$$

with  $x_0 \simeq 3 \times 10^{-4}$  and  $\lambda \simeq 0.3$ 

#### Geometric scaling at RHIC?

The DHJ model incorporates BFKL-type geometric scaling violations

$$\gamma_{\text{DHJ}}(q_t, x) = \gamma_s + (1 - \gamma_s) \frac{\log w}{\lambda y + d\sqrt{y} + \log w}$$

where  $w = q_t^2/Q_s^2(x)$ ,  $\gamma_s = 0.6275$ , d = 1.2 and  $y = \log 1/x$ 

The geometric scaling model rises more quickly towards 1 as  $q_t \to \infty$ 

$$\gamma_{\rm GS}(w) = \gamma_s + (1 - \gamma_s) \frac{(w^a - 1)}{b + (w^a - 1)}$$

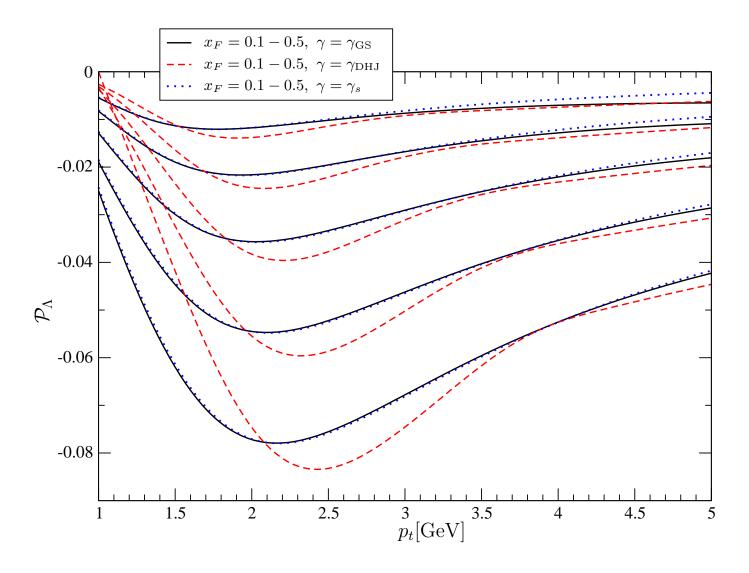
Here, a=2.82 and b=168 were fitted to the  $d\,Au$  RHIC data

Both models describe well the forward pion production  $p_T$  spectra

DHJ and GS models lead to same conclusion about peak of  $\Lambda$  polarization:

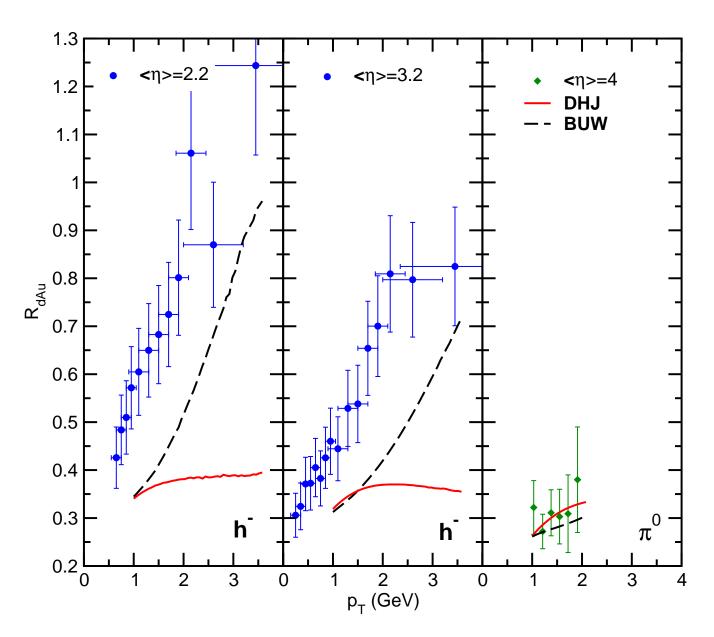
Its  $x_F$  dependence is to very good approximation the x dependence of  $Q_s!$ 

## $\Lambda$ polarization in $p+Pb\to \Lambda^\uparrow + X$ at $\sqrt{s}=8.8$ TeV



D.B., Utermann, Wessels, PLB 671 (2009) 91

## R-ratio [Betemps, Goncalves, JHEP 0809 ('08) 019]



## Conclusions on forward $\Lambda$ polarization

Asymmetries in  $p\,A \to \Lambda^\uparrow X$  can be used to study saturation physics

 $x_F$  dependence of the peak of  $\Lambda$  polarization directly probes the x dependence of  $Q_s$ 

In principle possible at LHC (at RHIC the peak is likely at too low  $p_T$ )

 $\Lambda$  polarization studies at colliders could prove very interesting!